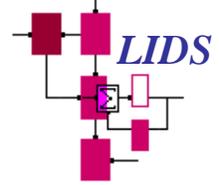


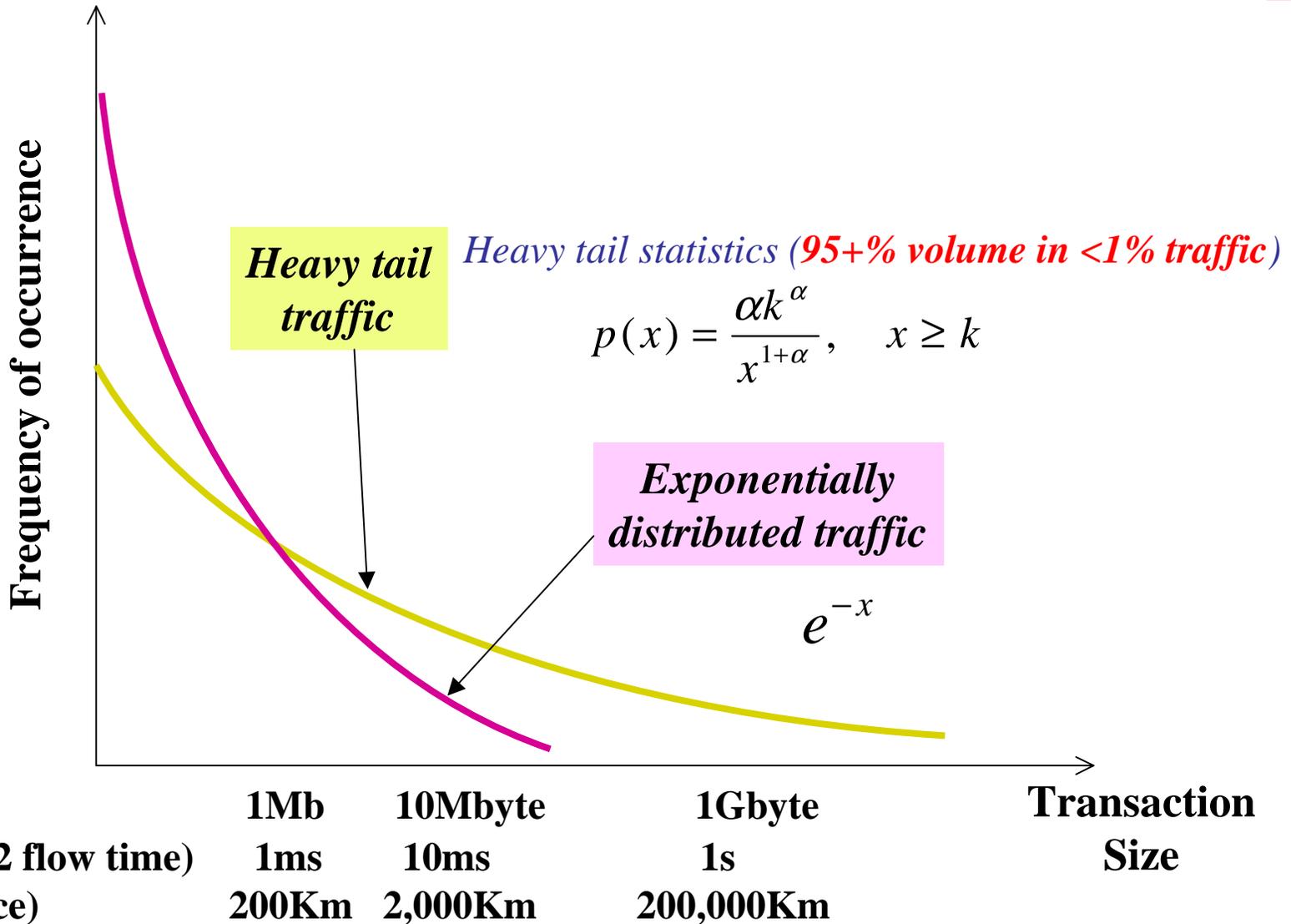
Some thoughts on optical networks

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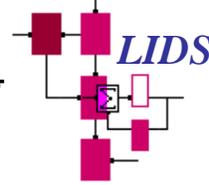
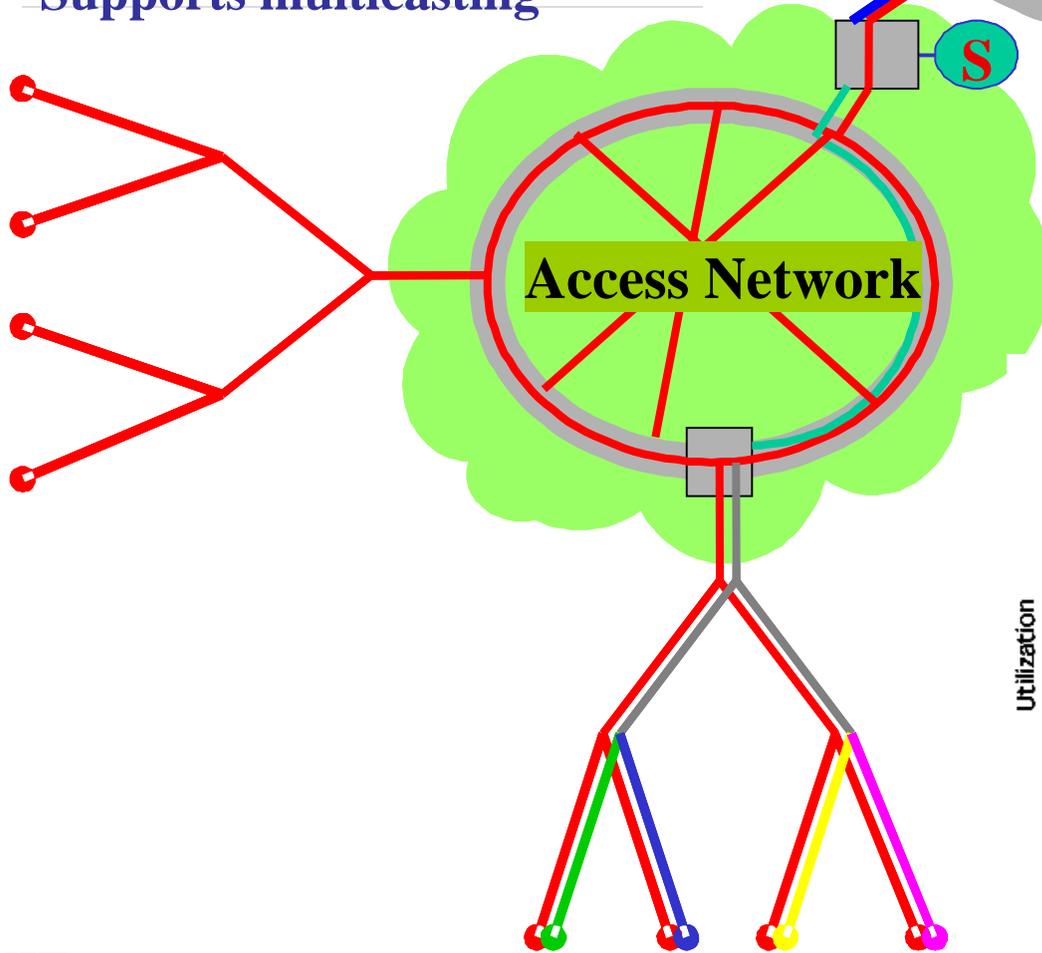
Transaction size





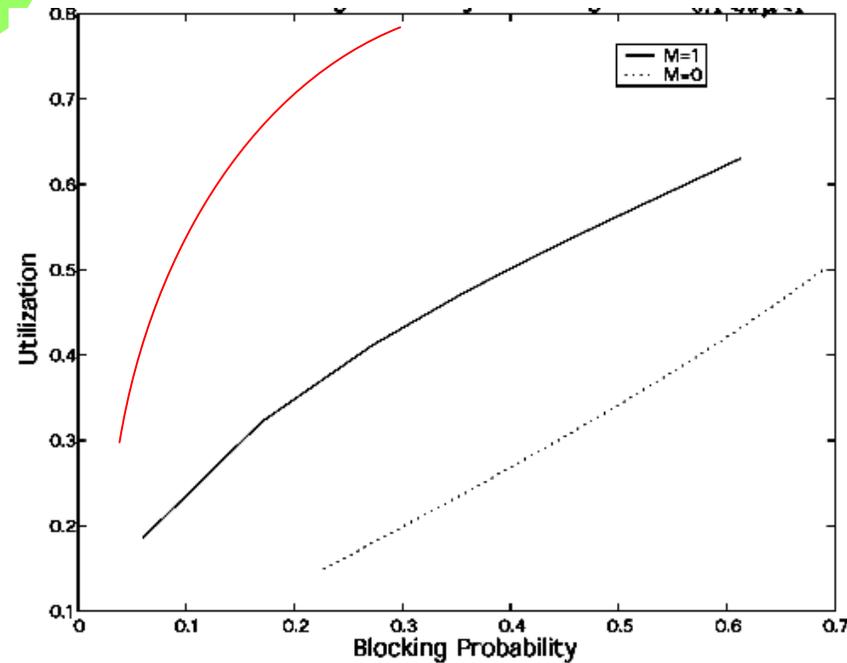
Asynchronous transaction on demand –flow switching

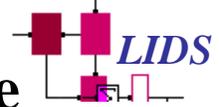
- Fast access network MAC
- Slower WAN adaptation
- Supports multicasting



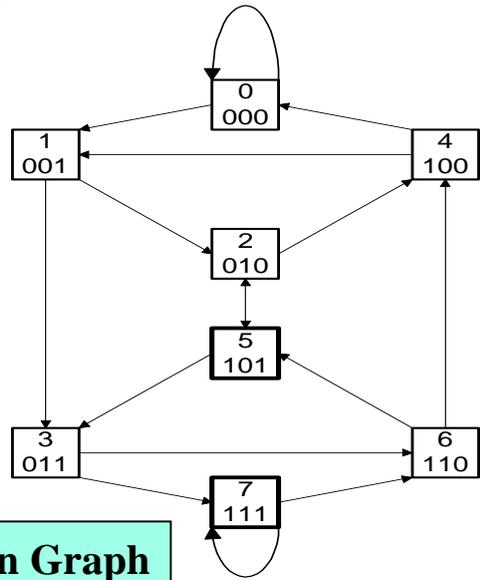
End-to-end flow of file bypassing routers

- $> 0.1 S$ duration
- MAC protocol for reservation request
- Scheduling time $< 100 mS$





Regular network topology on irregular infrastructure

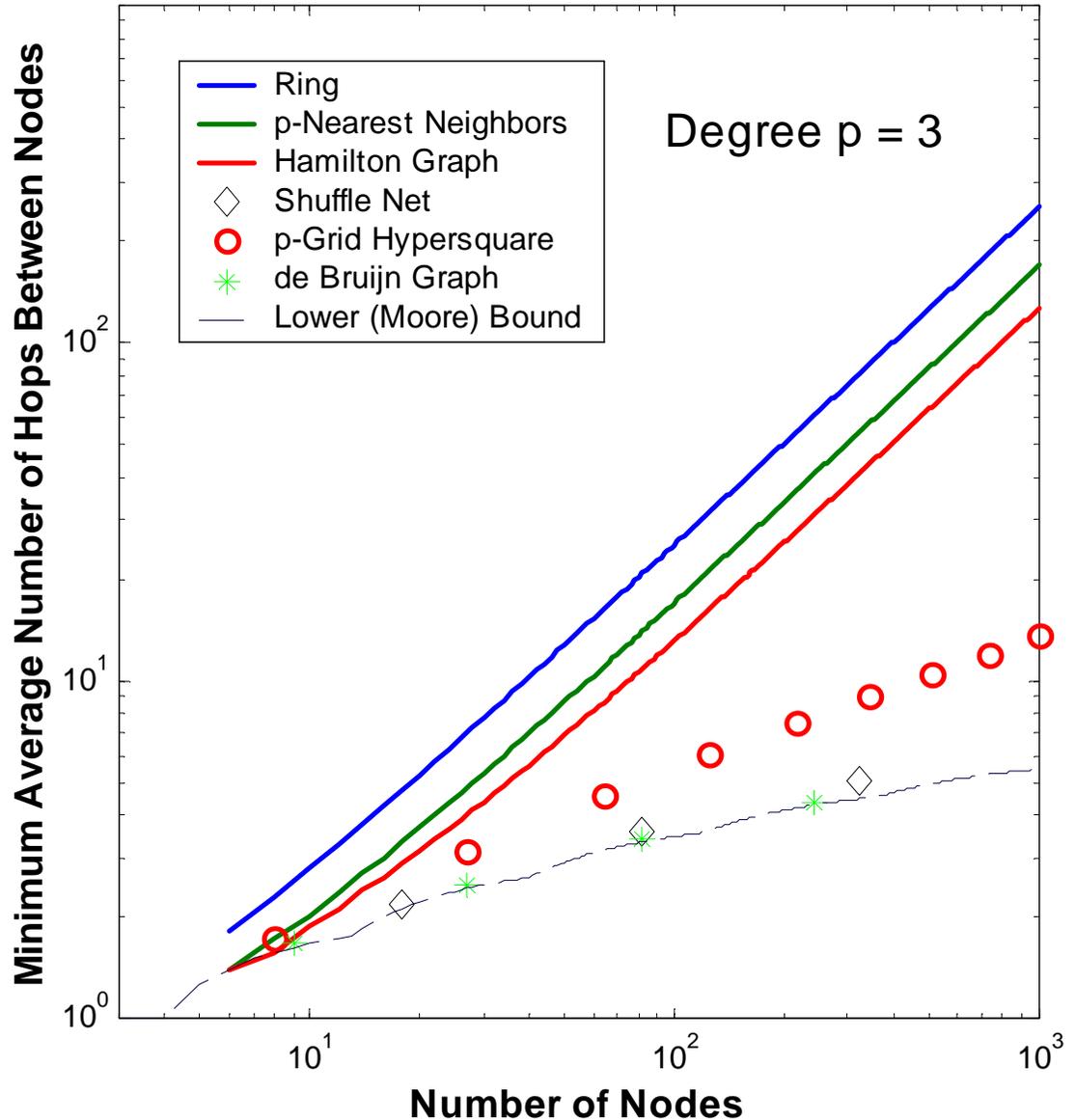
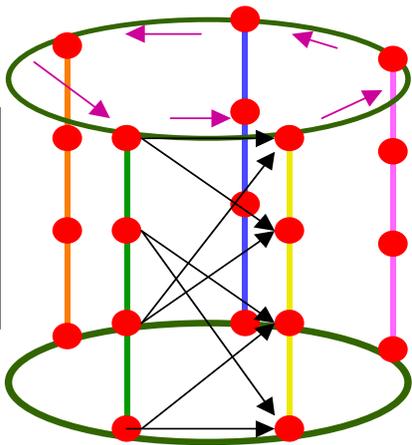


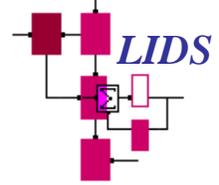
deBruijn Graph



p-ary shift register of D stages

ShuffleNet
 $p=2$
 $k=2$
 $N=k \cdot p^k$





First Order Cost Models

❑ **Fiber Cost:**

$$Cost_{fiber} = \alpha \cdot N \cdot p$$

❑ **Ports Required:**

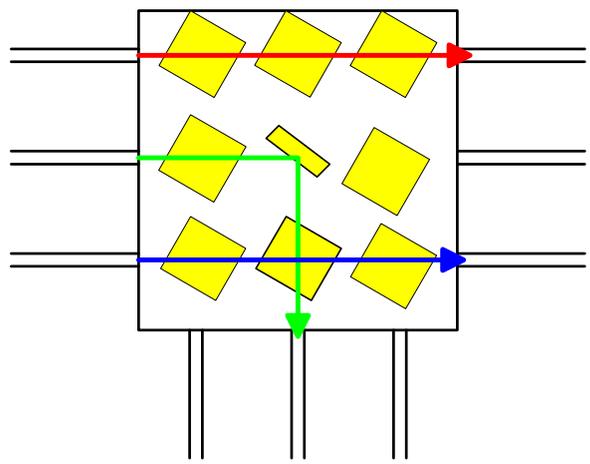
$$K(N, p) = (N - 1) \cdot H_{\min}(N, p)$$

❑ **Switching Cost:**

$$Cost_{switch} = \beta \cdot N \cdot F[K(N, p)]$$

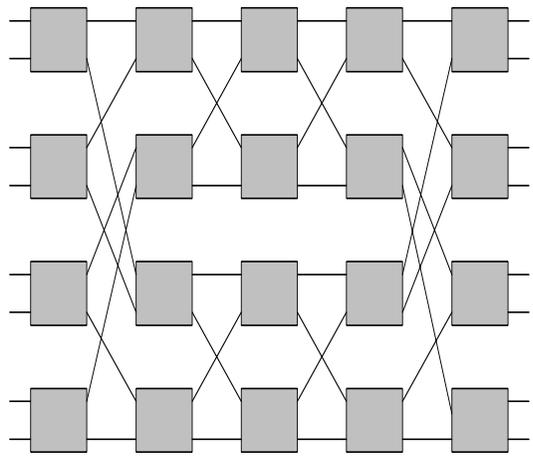
❑ **Total Cost:**

$$Cost_{norm} = \alpha \cdot p + \beta \cdot F[K(N, p)]$$



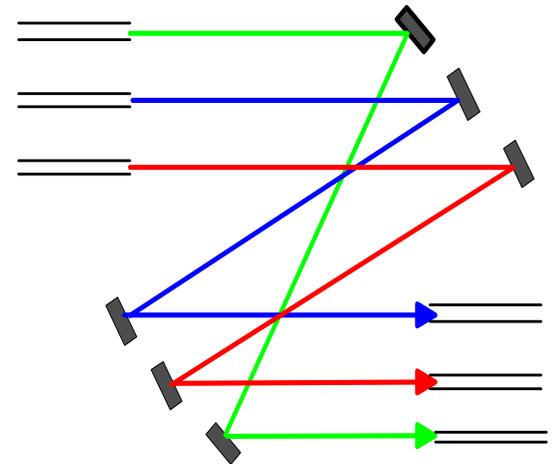
$$F(K) \propto K^{2+\delta}$$

Example: 2D MEMS



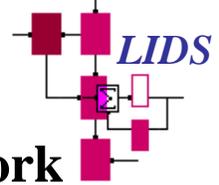
$$F(K) \propto K \log K$$

Example: Multi-stages

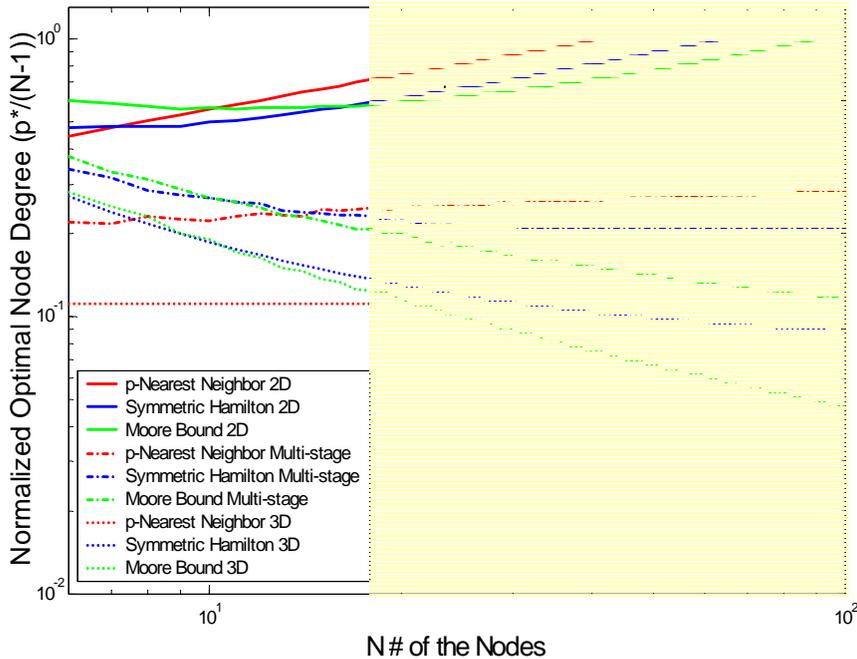


$$F(K) \propto K^{1+\gamma}$$

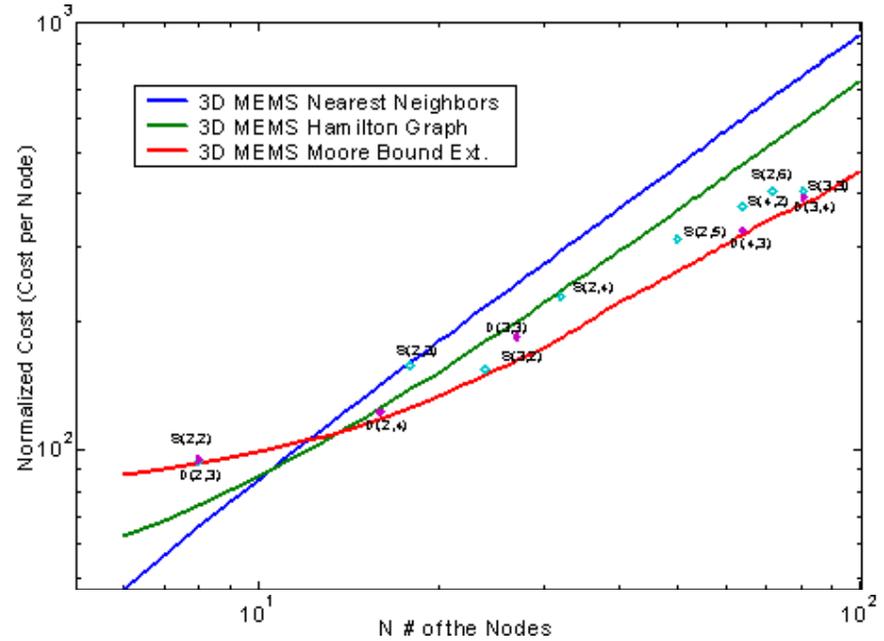
Example: 3D MEMS



Optimal Node Connectivity



Normalized cost of network



Normalized node degree as functions of N for 3 topologies. $\alpha/\beta = 40$

$\alpha/\beta = 40$. 3-D switching fabric
S = shuffle net, D = de Bruijn graph

- Good optical switch designs lowers network costs
- Good topologies minimizes network cost
- Optimum node design architecture depends on traffic and technology
- Stochastic and asymmetric traffic
- RWA
- Some topologies have much higher reliability